

**homework 1**

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Started: September 22, 2009 1:02 PM

Questions: 28

**Finish****Save All****Help****1. Q1** (Points: 2)

This homework is primarily to provide us with a better understanding of your background knowledge and facility with math as you start this course. A second purpose is to have you review and practice some math and physics that you will need for this course.

To this end, questions 7 through 28 will be graded for participation.

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Did you complete the CLASS survey?

You can find it at:

<http://www.phas.ubc.ca/ugradsurveys/phys153/CLASS-Sum09-pre-phys250.html>

1. Check for credit. (your participation will be verified)

Save Answer

**2. Q2** (Points: 0.5)

What percentage of the course score is determined by in-class activities/homework/exams?

1. 35%/30%/35%
2. 40%/25%/35%
3. 30%/25%/35%
4. 25%/25%/40%
5. 20%/30%/40%

Save Answer

**3. Q3** (Points: 0)

Given that the HW's are due each Wednesday (except for this first HW which is due on Fri, May 8th), when would you like to have a 1-2 hr long weekly problem solving session?

1. Monday 5pm
2. Monday 5:30pm
3. Monday 6pm
4. Monday 6:30pm
5. Tue 5pm
6. Tue 5:30pm
7. Tue 6pm
8. Tue 6:30pm

Save Answer

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**4. Q4** (Points: 0)

Do you plan to regularly attend the weekly problem solving session?

- 1. Yes
- 2. No

Save Answer

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**5. Q5** (Points: 0)

Presenting the work of others as your own is a serious offense in this course (meriting failure). While we encourage collaborative work and using many resources for this course, your write-ups must be your own and nobody else's.

- 1. I agree with this approach.

Save Answer

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**6. Question 6** (Points: 1)

You will have many online and long answer essay questions.

- a) Why do we assign these?
- b) What are the four key elements we are looking for when grading these questions?

New Insert equation 

Save Answer

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**7. Q7** (Points: 1)

A slow freight train chugs along a straight track. The distance it has traveled after  $x$  hours is given by a function  $g(x)$ . An engineer is walking along the top of the box cars at the rate of 6 km/hr in the same direction as the train is moving. The speed of the man (in km/hr) relative to the ground is:

- a.  $g(x)+6$
- b.  $g'(x)+6$
- c.  $g(x)=6$
- d.  $g'(x)=6$

Save Answer

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**8. Q8** (Points: 0)

In your opinion, what was the level of difficulty of the previous question (Q7)?

- 1. Very difficult
- 2. Somewhat difficult

- 3. Average difficulty
- 4. Somewhat easy
- 5. Very easy

Save Answer

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**9. Q9** (Points: 1)

If  $u = ve^w + xy^v$ , find  $\frac{du}{dv} = ?$

1.  $e^w + xy^v \ln y$
2.  $ve^w + xy^v \ln y$
3.  $e^w + xy^v \ln v$
4.  $ve^w + xy^v \ln v$
5. Cannot be determined from what we know

- a. Answer 1
- b. Answer 2
- c. Answer 3
- d. Answer 4
- e. Answer 5

Save Answer

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**10. Q10** (Points: 0)

In your opinion, what was the level of difficulty of the previous question (Q9)?

- 1. Very difficult
- 2. Somewhat difficult
- 3. Average difficulty
- 4. Somewhat easy
- 5. Very easy

Save Answer

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**11. Q11** (Points: 1)

$g(v)$  gives the fuel efficiency, in kilometers per liter, of a car going a speed of  $v$  kilometers per hour. What are the units of  $g'(v) = \frac{dg}{dv}$ ?

1.  $(km)^2 / [(liter)(hour)]$
2.  $hour / (liter)$
3.  $(liter) / (hour)$
4.  $(liter)(hour) / km^2$

- a. Answer 1
- b. Answer 2
- c. Answer 3
- d. Answer 4

Save Answer

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**12. Q12** (Points: 0)

In your opinion, what was the level of difficulty of the previous question (Q11)?

- 1. very difficult
- 2. Somewhat difficult
- 3. Average difficulty
- 4. Somewhat easy
- 5. Very easy

Save Answer

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**13. Q13** (Points: 1)

A branch sways back and forth with position  $s(t)$ . Studying its motion you notice that its acceleration is proportional to its position  $s$ , so that when it is 8 cm to the right, it will accelerate to the left at a rate of  $2 \text{ cm/s}^2$ . Which differential equation describes the motion of the branch?

1.  $\frac{d^2s}{dt^2} = 8s$

2.  $\frac{d^2s}{dt^2} = -2$

3.  $\frac{d^2s}{dt^2} = -2s$

4.  $\frac{d^2s}{dt^2} = -4s$

5.  $\frac{d^2s}{dt^2} = -\frac{s}{4}$

- a. Answer 1
- b. Answer 2
- c. Answer 3
- d. Answer 4
- e. Answer 5

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**14. Q14** (Points: 0)

In your opinion, what was the level of difficulty of the previous question (Q13)?

- 1. Very difficult
- 2. Somewhat difficult
- 3. Average difficulty
- 4. Somewhat easy
- 5. Very easy

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**15. Q15** (Points: 1)

An ideal spring produces an acceleration that is proportional to the displacement, so  $my'' = -kx$ , for some positive constant  $k$ . In the lab, we find that a mass is held on an imperfect spring: As the mass gets farther from equilibrium, the spring produces a force stronger than an ideal spring. Which of the following equations could model this scenario?

1.  $my'' = ky^2$
2.  $my'' = -k\sqrt{y}$
3.  $my'' = -k|y|$
4.  $my'' = -ky^3$
5.  $my'' = -ke^{-y}$
6. None of the above

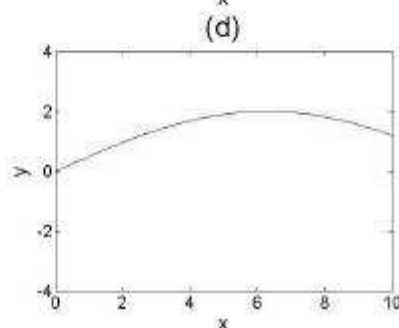
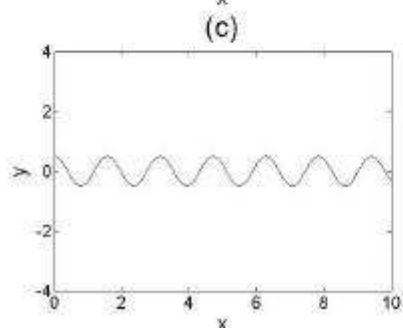
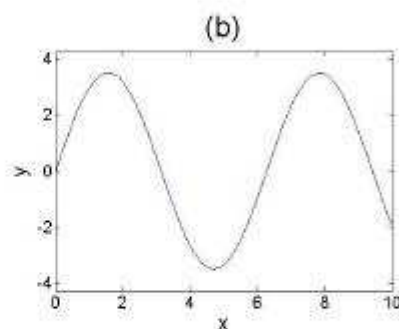
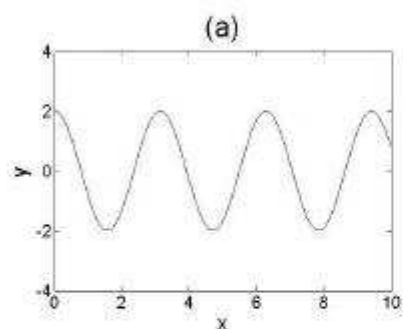
- a. Answer 1
- b. Answer 2
- c. Answer 3
- d. Answer 4
- e. Answer 5
- f. Answer 6

Save Answer

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**16. Q16** (Points: 1)

The functions plotted below are solutions of  $y'' = -cy$  for different values of  $c$ . Which case (below) corresponds to the largest value of  $c$ ?

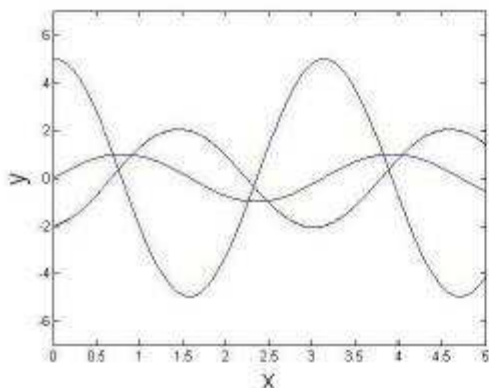


- 1. Answer A
- 2. Answer B
- 3. Answer C
- 4. Answer D

Save Answer

17. Q17 (Points: 1)

Three different functions are plotted below. Could these all be solutions to the SAME mass-spring second order differential equation:  $my'' = -ky$ ?



1. YES
2. NO
3. Not enough information is given

- a. Answer 1
- b. Answer 2
- c. Answer 3

Save Answer

**18. Q18** (Points: 1)

Each of the differential equations below represents the motion of a mass on a spring.

Which one has the largest maximum velocity?

1.  $2x'' + 8x = 0$ , where  $x(0) = 5$ ,  $x'(0) = 0$
2.  $2x'' + 4x = 0$ , where  $x(0) = 7$ ,  $x'(0) = 0$
3.  $x'' + 4x = 0$ , where  $x(0) = 10$ ,  $x'(0) = 0$
4.  $8x'' + x = 0$ , where  $x(0) = 20$ ,  $x'(0) = 0$

- a. Answer 1
- b. Answer 2
- c. Answer 3
- d. Answer 4

Save Answer



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**19. Q19** (Points: 1)

A differential equation is solved by the function  $y(t) = 3 \sin 2t$ , where  $y$  is in meters and  $t$  is in seconds. What units do the numbers 3 and 2 have?

1. 3 is in meters, 2 is in seconds
2. 3 is in meters, 2 is in per second
3. 3 is in meters per second, 2 has no units
4. 3 is in meters per second, 2 is in seconds
5. Not enough information is given

- a. Answer 1
- b. Answer 2
- c. Answer 3
- d. Answer 4
- e. Answer 5

Save Answer

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**20. Q20** (Points: 1)

The wave equation  $\frac{\partial^2 f}{\partial x^2} = \frac{1}{C^2} \frac{\partial^2 f}{\partial t^2}$  provides a quantitative description for the motion of waves such as water waves, sound waves, and electromagnetic waves. If the function  $f$  gives us the strength of the electric field of the electromagnetic wave in Volt/meters as a function of position  $x$  in meters, and time  $t$  in seconds, what are the units of the constant  $C$ ?

1. meters squared per second squared
2. seconds per meter
3. meters per second
4. Volt/meters per second
5. meters per (Volt seconds)
6. None of the above

- a. Answer 1
- b. Answer 2
- c. Answer 3
- d. Answer 4
- e. Answer 5
- f. Answer 6

Save Answer

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**21. Q21** (Points: 1)

The function  $f(x, t) = A \sin(kx + \omega t)$  is a solution to the wave equation  $\frac{\partial^2 f}{\partial x^2} = \frac{1}{C^2} \frac{\partial^2 f}{\partial t^2}$ . If  $A = 10$ ,  $k = 3$ , and  $C = 5$ , what value could  $\omega$  have?

1. 15
2. 150
3. 3/5
4. 9/25
5. 225

- a. Answer 1
- b. Answer 2
- c. Answer 3

- d. Answer 4
- e. Answer 5

Save Answer

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**22. Q22** (Points: 1)

The function  $f(x, t) = A\sin(kx + \omega t)$  is a solution to the wave equation  $\frac{\partial^2 f}{\partial x^2} = \frac{1}{c^2} \frac{\partial^2 f}{\partial t^2}$ . If  $A = 10$ ,  $k = 3$  and  $\omega = -5$ , what direction is the wave traveling?

1. In the positive x-direction
2. In the negative x-direction
3. Not enough information is given

- a. Answer 1
- b. Answer 2
- c. Answer 3

Save Answer


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**23. Q23** (Points: 2)

What evidence do you have (or know of) that atoms DO exist?  
(For this question, please write an answer w/o looking it up. This question will not be graded on correctness, instead it will be graded on your participation)

Short answer:

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New Insert equation 


Save Answer

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**24. Q24** (Points: 2)

What are atoms made of, and how are the parts of the atoms configured?

Short answer:

New Insert equation 

Save Answer

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**25. Q25** (Points: 1)

You push an electron through a uniform electric field  $E$  from point A to point B. the total distance from A to B is a distance "d". The potential at point A is  $V$  and the potential at point B is 0. The charge of the electron is  $-q$ . How much work do you do on the electron? \_\_\_\_\_

New Insert equation 


Save Answer

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**26. Q26** (Points: 1)

Is it possible to obtain energy from atoms? If yes, briefly explain how.

Short Answer:

New Insert equation 

Save Answer

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**27. Q27** (Points: 0)

What is your best estimate for the amount of time you spent working on this homework?

- 1. <1hr
- 2. 1-2 hr
- 3. 2-3 hr
- 4. 3-4 hr
- 5. 4-5 hr
- 6. 5-6 hr
- 7. 6-7 hr

- 8. 7-8 hr
- 9. >8 hr

Save Answer

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**28. Q28** (Points: 0)

In your opinion, what was the level of difficulty for this homework?

- 1. Very difficult
- 2. Somewhat difficult
- 3. Average difficulty
- 4. Somewhat easy
- 5. Very easy

Save Answer

**Finish**

**Save All**

**Help**